Table of Contents

Physics Basics	
Metric Conversions	
Dimensional Analysis	5
Significant Figures	6
Linear Motion	7
Velocity	7
Acceleration	8
Constant Uniform Acceleration in Linear Motion	9
Free-fall Acceleration	10
Resolving Velocity Vectors That Are at Right Angles to One Another	11
Resolving Vectors Not at Right Angles to Each Other	13
Resolving Vectors Not at Right Angles: Continued	1
Projectile Motion	16
Launching Projectiles at Angles	
Forces	
Forces Acting on Objects	
F = ma: Newton's Second Law	20
Weight	
Normal Force	
Frictional Forces	
Newton's Universal Law of Gravitation	
Inverse Square Law for Gravity	
Torque	
Nork, Energy, Power	
Work	
Kinetic Energy	
Potential Energy	
Momentum	
Impulses and Momentum	
Conservation of Momentum and Inelastic Collisions	
Kinetic Energy and Inelastic Collisions	
Kinetic Energy and Conservation of Energy in Perfectly Elastic Collisions	
Calculations of Power and Power Conversions	
Mechanical Advantage	
Percent Efficiency	
Rotational Motion	
Rotational Motion: Angular Displacement	
Angular Velocity	
Angular Acceleration	
Rotational Motion if Angular Acceleration is Constant	
Tangential Speed	41
Tangential Acceleration	42
Centripetal Acceleration	44
Centripetal Force and Rotational Motion	45
Fluids	46
Buoyant Force	
Pascal's Principle and Pressure in Fluids	
Pressure and Depth in Fluids	
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Gases	49
Dalton's Law of Partial Pressure	
Converting Pressures Between Values	50
Combined Gas Law	
Ideal Gas Law	52
Work Done on or by a Gas	53
Energy Transformations and Thermodynamics	54
Conversion of Energy Units	54
Specific Heat Capacity	55
Thermodynamics: Heat Loss and Heat Gained	56
Waves	
Simple Harmonic Motion: Hooke's Law-Mass Spring System Problems	59
Simple Harmonic Motion: Simple Pendulum Problems	60
Speed of a Wave	61
Sound Intensity	62
Calculating Sound in Decibels	63
The Law of Strings	64
Harmonics of Standing Waves on a Stringed Instrument	65
Harmonics of Open and Closed Pipes	66
Light	67
Speed of Light	
Mirror Equation and Magnification	
Index of Refraction and Snell's Law	
Electricity	70
Coulomb's Law	
Potential Energy and Electricity	70
Potential Difference	
Capacitance and Potential Energy of a Capacitor	
Current	
Resistance and Ohm's Law	75
Electrical Power	76
Resistance in Series	
Resistance in Parallel	
Transformers	
Calculating Electricity Cost per Kilowatt Hour	
Subatomic Particles	
Balancing Nuclear Equations	
Transmutations	
Radioactive Decay and Half-Lives	
Answer Key	84

Physics Workbook

The purpose of the *Physics Workbook* is to provide examples of a variety of types of problems you may face on the UIL Science Exam. By no means will it give an example of every type of problem that you may see. What it will do, however, is provide a foundation in basic calculations that can be used to solve the more complex physics problems you will face at the Regional and State Competitions. As you know, physics problems often involve using more than one concept in order to solve a problem. For example, you may have to calculate the amount of work done in a problem before you can calculate watts of power used.

By using this workbook you will not only improve your performance on the physics portion of the UIL Science test, but you should also improve your understanding of physics in the classroom as well. Take time to use both the *FlipCards* for physics and the *Concept Manuals* for physics from Hexco to increase your basic physics knowledge. Again, this workbook does not teach concepts, simply problem-solving methods and strategies, and example problems. Good luck on the UIL Science Test and good luck in your endeavors in science.

Helpful Physics Reminders:

- Take time to become familiar with **formulas.** The *FlipCards* for physics are a great method to accomplish this task.
- Look over the *UIL Science Formula Sheet*. This will let you know the constants and items you need to memorize and those you don't.
- Become extremely comfortable with the dimensional analysis method of problem solving.
- Look at the **units** in the answer to the problem. Many times this will let you know the mathematical operations necessary to solve the problem. Example: An answer to a problem uses the unit volts. You know that a volt is equal to 1 Joule/1 Coulomb; therefore, divide Joules by Coulombs in order to calculate the answer.
- Be very comfortable using the **metric system** and converting from one unit to another within the metric system.
- Although the graphing **calculator** typically is the norm for this test, all physics problems can be worked with a simple scientific calculator.
- Significant digits are the norm for all answers.
- Remember when using calculators to be in the proper mode for the operation at hand.
 (Radian and Degree modes in particular)
- Work through the entire test to ensure that you have given yourself the opportunity to answer any problems you might be familiar with.

Free-fall Acceleration

- Depends on the force of gravity.
- Velocity and distance are customarily assigned positive values when travelling away from the Earth, or up, and negative when going toward the Earth, or down.
- Velocity and distance are also customarily assigned negative values going West and positive going
 East on the coordinate plane. We will use this conventional method of assigning values to
 determine direction of travel throughout this workbook.
- Use formulas from page 9, just replace \underline{a} (acceleration) with \underline{g} for acceleration due to gravity which in this book for calculations is 9.81 m/s/s.
- Some use Δy instead of Δx because free fall is displacement in the y direction of a coordinate plane.

Example:

I "dropped" a penny off of a bridge in Colorado. It took 3.75 s to hit the water. How high is the bridge? a = 9.81 m/s/s t = 3.75 s vi = 0 m/s Δx (or Δy) = ?

Formula: $\Delta y = v_i (\Delta t) + (.5) (a) (\Delta t)^2$ $\Delta y = (.5) (-9.81 \text{ m/s/s}) (3.75 \text{ s})^2 = -69.0 \text{ m} \text{ (negative means downward displacement)}$

Practice: Free-fall Acceleration:

11. A ball is thrown straight up into the air. It has a total hang time of 5.25 sec. What was its height at apogee? (highest point)

Height in meters	5 =		
_			

12. A model rocket goes straight up at a velocity of 18.2 m/s. How long until it comes back to Earth?

Time =

Newton's Universal Law of Gravitation

- Calculates forces that exist between all objects in the universe.
- Equation: $F_g = G (m_1 m_2 / r^2)$
- Where: Fg = force in Newtons m₁ and m₂ = mass in kg

r = distance in m between objects

G = universal gravity constant $(6.673 \times 10^{-11} \text{ Nm}^2 / \text{kg})$ On UIL formula sheet

Example:

Calculate the force of gravity between a golf ball (.189 kg) and a billiard ball (.325 kg) that are 25.5 cm apart from one another.

Formula: $Fg = 6.673 \times 10^{-11} \text{ Nm}^2 / \text{kg} (.189 \text{ kg}) (.325 \text{ kg}) / (.255 \text{ m})^2$

$$Fg = 6.30 \times 10^{-11} N$$

Practice:

31. How far away would two objects be if their masses were 717.25 kg and 29.85 kg, and their gravitational force between them was 2.39×10^{-11} N?

Distance in meters =

32. What magnitude of gravitational force would be present between an 85.5 kg person on Earth if Earth's mass is 5.98×10^{24} kg and the average radius is 6.36×10^{6} m?

Gravitational Force =

Rotational Motion if Angular Acceleration is Constant

• Formulas are similar as those for linear motion. Get familiar with linear, then you will know the ones for rotational motion.

$$\circ$$
 $\omega_f = \omega_i + \alpha \Delta t$

$$0 \Delta\theta = \omega_i \Delta t + \frac{1}{2} \alpha (\Delta t)^2$$

$$\circ \omega_f^2 = \omega_i^2 + 2\alpha (\Delta \theta)$$

$$O$$
 $\Delta \theta = \frac{1}{2} (ω_i + ω_f) \Delta t$

Where: ω = angular velocity in rad/s α = angular acceleration in rad/s/s t = time $\Delta\theta$ = angular displacement in rads

Example:

What is the angular displacement after 27.5 sec for a wheel that accelerates at a constant rate from rest to 38.5 rev /s in 2.12 minutes.

<u>Time to seconds:</u> $(2.12 \frac{\text{min}}{\text{min}} / 1) (60 \text{ s}/1 \frac{\text{min}}{\text{min}}) = 127.2 \text{ sec}$

Revolutions / s to rad/s: $(38.5 \text{ rev}/1 \text{ s}) (2\pi \text{ rad}/1 \text{ rev}) = 77\pi \text{ rad /s}$

Formula: $\Delta\theta = \frac{1}{2} (\omega_i + \omega_f) \Delta t$ (.5) (0 rad/s + 77π rad / s) (127.2s)

$$\Delta\theta = 1.96 \times 10^6 \, \text{rad}$$

Practice:

- 62. A car wheel accelerates at a rate of 18.2 rad/s/s. Its beginning angular velocity is
 - 4.5 rad/s. What would the wheel's angular velocity be after 5 revolutions?

Angular velocity =

63. Calculate the angular acceleration of a unicycle wheel with a radius of 35.0 cm. It starts at rest and then rotates through 25 rads in 7.62 s.

Angular acceleration =

Tangential Speed

Speed of an object at any point in a circular path.

- Formula: $v_t = r \omega$
- Where: $v_t = m/s$ r = radius in m $\omega = angular$ velocity in rad/s

Example:

You throw a baseball with an angular velocity of 18.5 rad/s. Your arm is 72.0 cm long. What is the tangential speed of the ball at the time of release?

Formula:
$$v_t = r \omega$$
 $v_t = .72 \text{ m} (18.5 \text{ rad/s}) = 13.3 \text{ m/s}$

Practice:

64. A wooden disk has a radius of 2.50 m and makes .745 turns / s. What is its tangential velocity?

Tangential velocity =

65. Calculate the radius of a ball on a string that is being spun around with a tangential velocity of 3.75 m/s making 1.99rev/s.

Radius = _____

Tangential Acceleration

• Change in velocity of an object in circular motion from one point to another point on the circle.